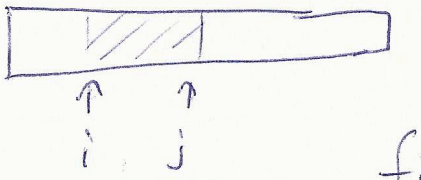
Max.-S.A

naive = brute force	$O(n^3)$
Divide-and-Conquer	$O(n \cdot \log n)$
Scanline	$O(n)$
(halb-naive)	$O(n^2)$

$O(n) < O(n \log n) < O(n^2) < O(n^3)$

$n^2 = n \cdot n$

$n \gg \log n$



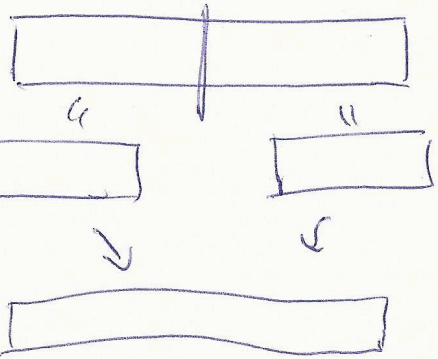

```
für i = 1 bis n
    für j = 1 bis n
        x Summe?
```

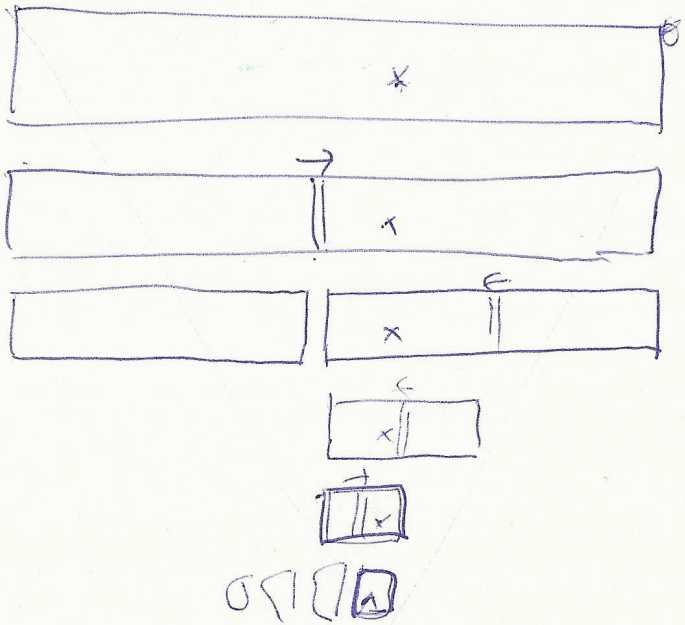
$O(n^2)$ $O(n)$ $\Rightarrow O(n^3)$

Suchen

- binär → $O(\log n)$ DAQ
- sequenziell → $O(n)$ linear
- Interpol. } DAQ
- Fibonacci }

DAQ





$A[k] < k$

8, −4, 2, 6, −8, 6, 1, 0

12 | 7

8, −4, 2, 6 | −8, 6, 1, 0

12 | 0

mögliche Randergebnisse

→ 0

−8

−2

−1

−1

12 } ← max.
12 }
7

⇒ 8, −4, 2, 6 Σ 12 max.

−8, 6, 1, 0

−8, 6 | 1, 0 Split / Divide

Σ 6   Σ 1

−8 | 6 ‖ 1 | 0

0 6 1 0

Join / Merge

−8, 6 [6] | 1, 0 [1]

Σ 7 Join / Merge

−8, 6, 1, 0 [7]

−1, −2, −3

H

−6

> −1

111000
111000
111000

‖|‖

$\frac{3}{2}$ 1,5

int i = 3/2;

== Vergleich 1 == 0 ⇒ falsch

= Zuweisung

Java

= Vergleich

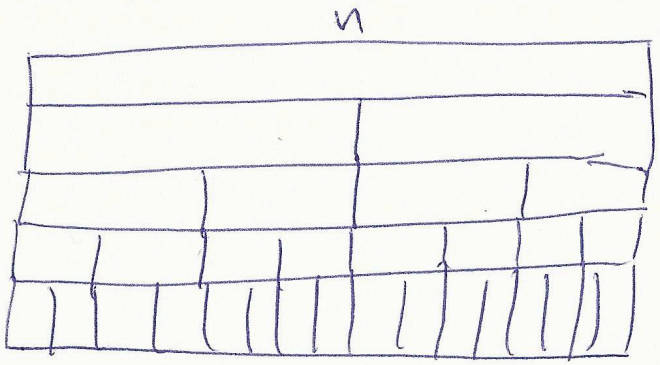
:= Definition

Mathe

= Vergleich

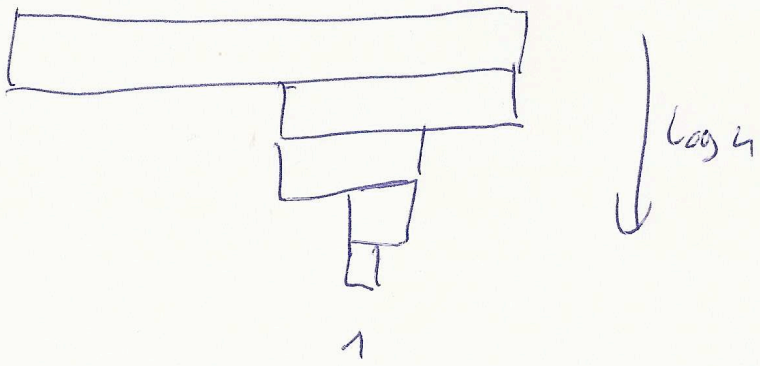
← Zuweisung

Logik



DAQ
MSA

$O(n \cdot \log n)$



Bin. Suche

$O(1 \cdot \log n)$

Scanline

$\{ 8, -4, 7, 6, -8, 6, 7, 0 \}$